

The Progressive Amalgamation Technique

Table 10-10: The Four PA Technique RB Estimates for GPP Based on Amalgamation

Sequence 1

N_b	N_a	Am_{1,N_b,N_a}	Amalgamation Equation	Unit Set Before Amalgamation $\{S_{b,1,N_b}\}$	Unit Set After Amalgamation $\{S_{a,1,N_a}\}$	Relative Benefit for Individual Amalgamation Step = $RB(Am_{1,N_b,N_a})$ = RB_{1,N_b,N_a}	Cumulative Relative Benefit = $RB(Am_{1,8,N_a})$ = $RB_{1,8,N_a}$
8	7	$Am_{1,8,7}$	NSW + ACT → NSW-ACT	NSW VIC QLD WA SA TAS ACT NT	NSW-ACT VIC QLD WA SA TAS NT	$RB_{1,8,7} = \$6.3172 \text{ b}$	$RB_{1,8,7} = \$6.3172 \text{ b}$
7	6	$Am_{1,7,6}$	VIC + TAS → VIC-TAS	NSW-ACT VIC QLD WA SA TAS NT	NSW-ACT VIC-TAS QLD WA SA NT	$RB_{1,7,6} = \$6.0624 \text{ b}$	$RB_{1,8,6} = \$12.380 \text{ b}$ $= RB_{1,8,7} + RB_{1,7,6}$
6	5	$Am_{1,6,5}$	SA + NT → SA-NT	NSW-ACT VIC-TAS QLD WA SA NT	NSW-ACT VIC-TAS QLD WA SA-NT	$RB_{1,6,5} = \$1.2498 \text{ b}$	$RB_{1,8,5} = \$13.629 \text{ b}$ $= RB_{1,8,6} + RB_{1,6,5}$
5	4	$Am_{1,5,4}$	WA + SA-NT → WA-SA-NT	NSW-ACT VIC-TAS QLD WA SA-NT	NSW-ACT VIC-TAS QLD WA-SA-NT	$RB_{1,5,4} = \$9.4466 \text{ b}$	$RB_{1,8,4} = \$23.076 \text{ b}$ $= RB_{1,8,5} + RB_{1,5,4}$
4	3	$Am_{1,4,3}$	NSW-ACT + VIC-TAS → NSW-ACT-VIC-TAS	NSW-ACT VIC-TAS QLD WA-SA-NT	NSW-ACT-VIC-TAS QLD WA-SA-NT	$RB_{1,4,3} = \$19.8125 \text{ b}$	$RB_{1,8,3} = \$42.889 \text{ b}$ $= RB_{1,8,4} + RB_{1,4,3}$
3	2	$Am_{1,3,2}$	NSW-ACT-VIC-TAS + QLD → NSW-ACT-VIC-TAS-QLD	NSW-ACT-VIC-TAS QLD WA-SA-NT	NSW-ACT-VIC-TAS-QLD WA-SA-NT	$RB_{1,3,2} = \$21.5443 \text{ b}$	$RB_{1,8,2} = \$64.433 \text{ b}$ $= RB_{1,8,3} + RB_{1,3,2}$
2	1	$Am_{1,2,1}$	NSW-ACT-VIC-TAS-QLD + WA-SA-NT → AWSS	NSW-ACT-VIC-TAS-QLD WA-SA-NT	AWSS	$RB_{1,2,1} = \$0.9558 \text{ b}$	$RB_{1,8,1} = \$65.389 \text{ b}$ $= RB_{1,8,2} + RB_{1,2,1}$
Four Relative Benefit Estimates							
RB Estimate $RB_{1(j)}$		Formula and Estimate					
$RB_{1(1)}$		$RB_{1(1)} = RB_{1,8,1} = \65.39 b					
$RB_{1(2)}$		$RB_{1(2)} = RB_{1,8,3} + 2RB_{1,3,2} = \$42.889 \text{ b} + (2 \times \$21.5443) = \$85.98 \text{ b}$					
$RB_{1(3)}$		$RB_{1(3)} = RB_{1,8,4} + 3RB_{1,4,3} = \$23.076 \text{ b} + (3 \times \$19.8125) = \$82.51 \text{ b}$					
$RB_{1(4)}$		$RB_{1(4)} = RB_{1,8,5} + 4RB_{1,5,4} = \$13.629 \text{ b} + (4 \times \$9.4466) = \$51.42 \text{ b}$					